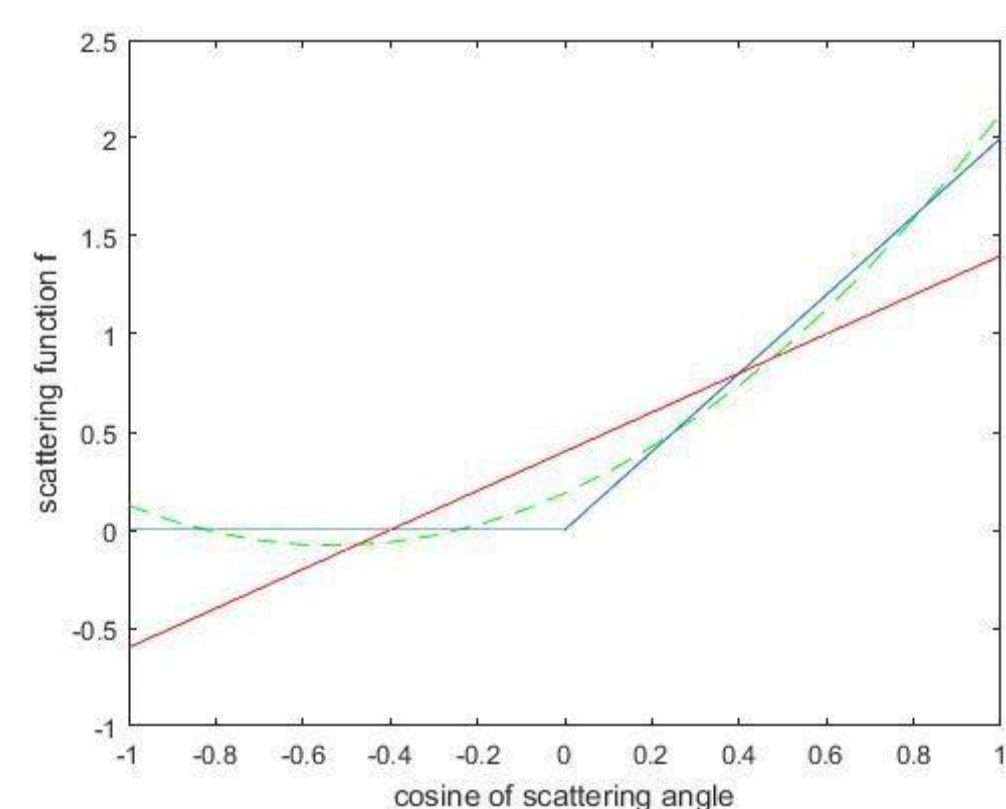


Avoid systematic errors

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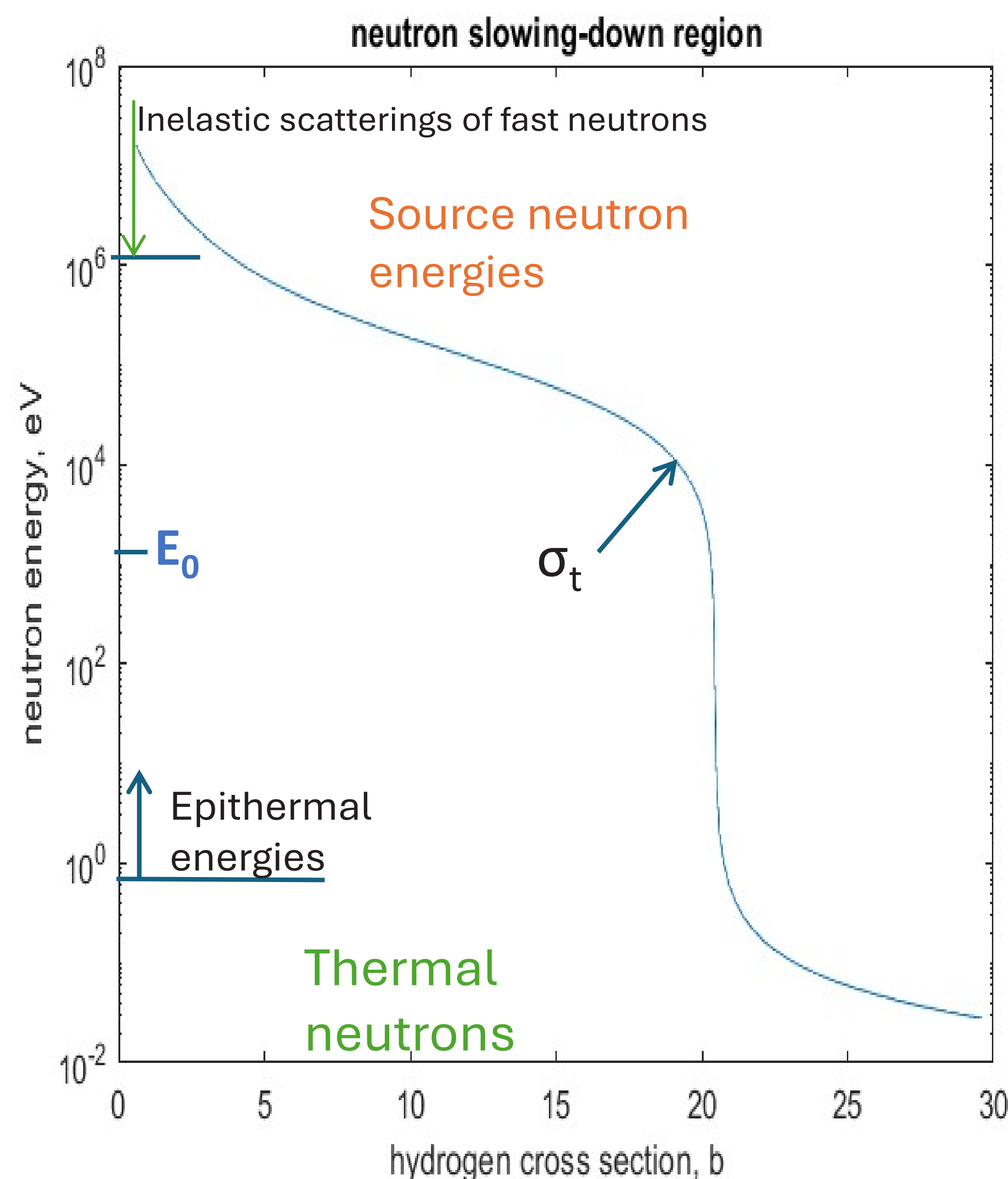
Neutron scattering in hydrogen (blue line). Its P1-approximation is the red line, In the figure is also the P2(P3) approximation (dashed).
P1: Diffusion approximation

Total hydrogen cross section

$$\sigma_t = \sigma_s + \sigma_a. \sigma_a \ll \sigma_s$$

Below 1 MeV other elements than hydrogen slow-down negligibly.

I try to find a model for the measurement by using MC-calculation. I use traditional forward calculation in slowing-down, but also the upwards calculation, from thermal or epithermal energies upwdrs in energy.



$$c = \int_V \int_{4\pi} \Phi^*_{E_0}(\mathbf{r}, \boldsymbol{\Omega}) q_{E_0}(\mathbf{r}, \boldsymbol{\Omega}) d\boldsymbol{\Omega} d\mathbf{r}$$

c counting rate
 q_E slowing-down density
 Φ^*_E detection quantity or adjoint flux of pseudo-neutrons

This measurement depends on the hydrogen slowing-downs of fast neutrons. The detector measures thermal or epithermal neutrons

Except moisture in good measurement one considers the parameters:

- o hydrogen content of matter (dry)
- o density of matter
- o absorption cross section especially in thermal detection

Neutron sources:

n-generators:

DT 14 MeV, T(d,n) ^4He

DD 2.5 MeV, D(d,n) ^3He

^{252}Cf , $t_{1/2} = 2.646$ a

$^{241}\text{Am}(\alpha, n)^9\text{Be}$, $^{41}\text{Am}(\alpha, n)^7\text{Li}$
etc. For ^{241}Am $t_{1/2} = 432.2$ a

The inelastic scattering of iron reduces the energies of fast neutrons.

Fe-reflector measurement. Soil is sand.

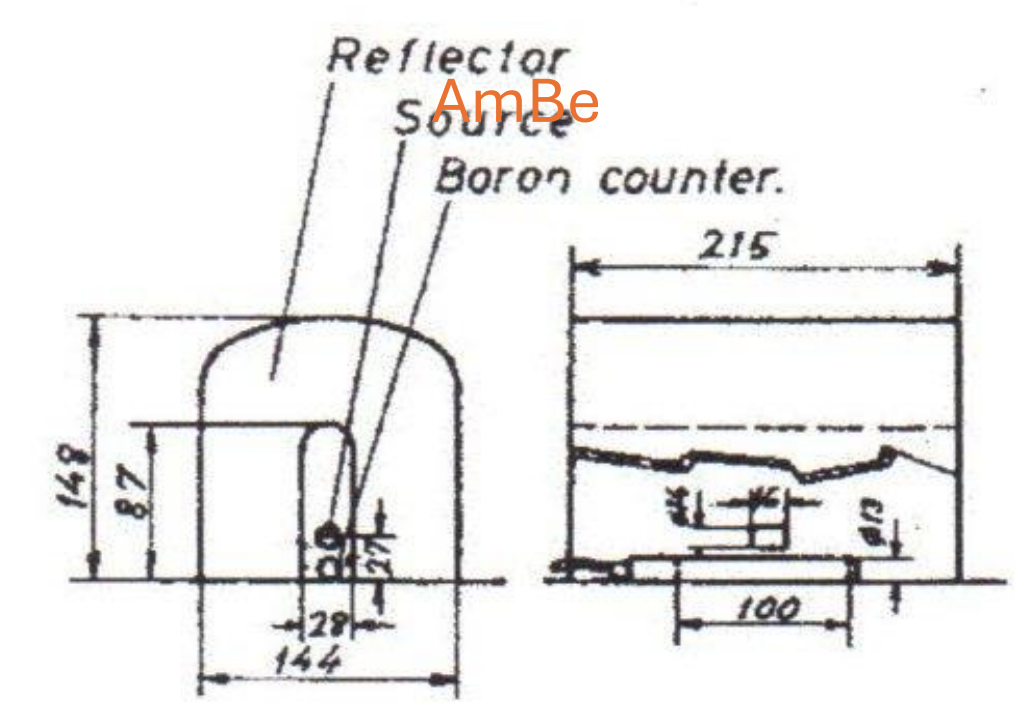


Fig. 6. Reflection measurement.

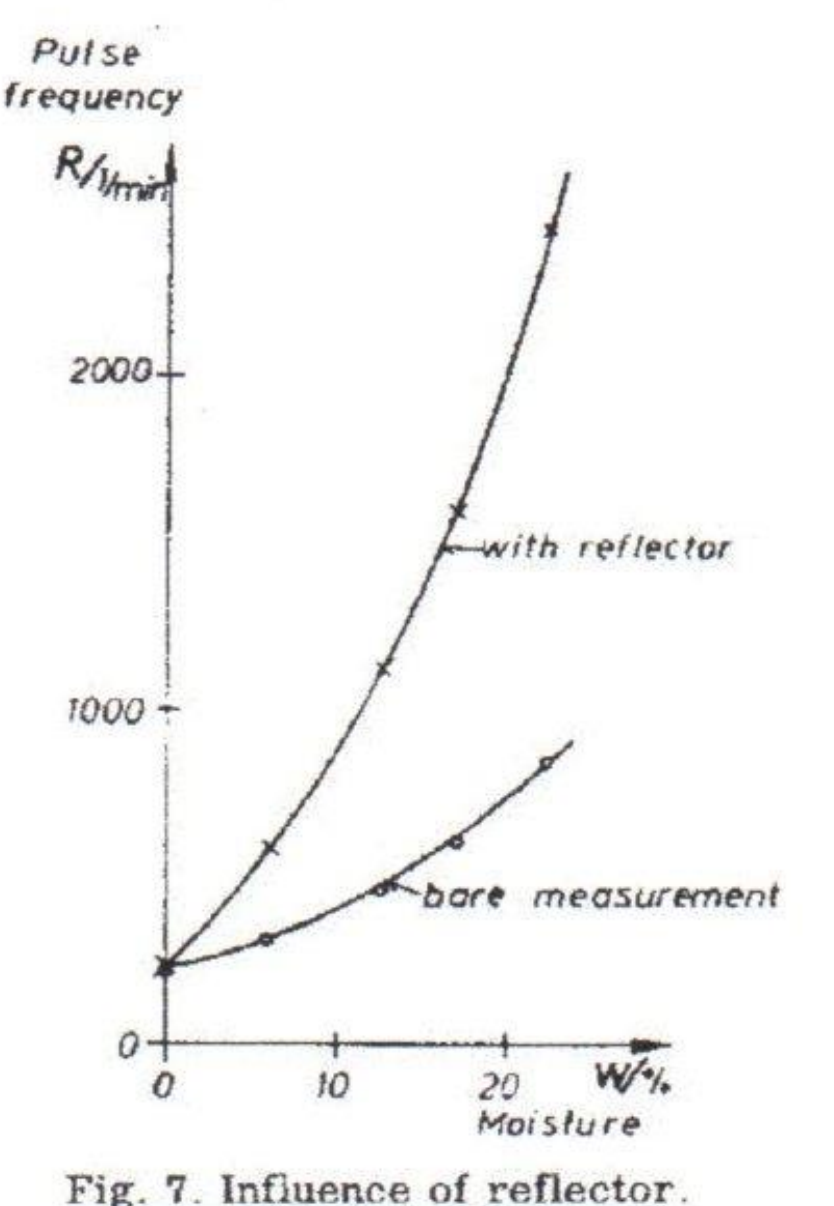
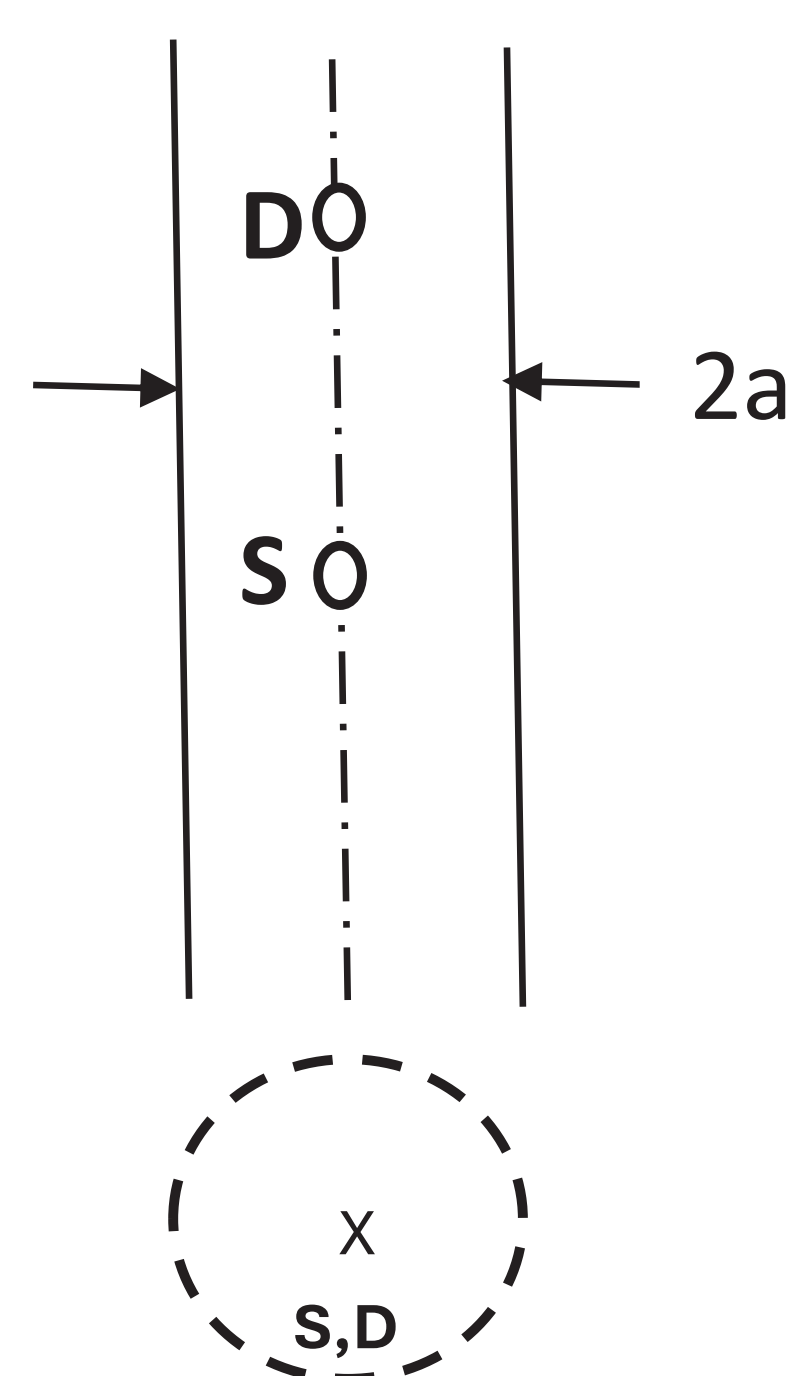


Fig. 7. Influence of reflector.

In calculations soil has elements as in Earth's crust, and its dry density is 1.5×10^3 kg/m³.



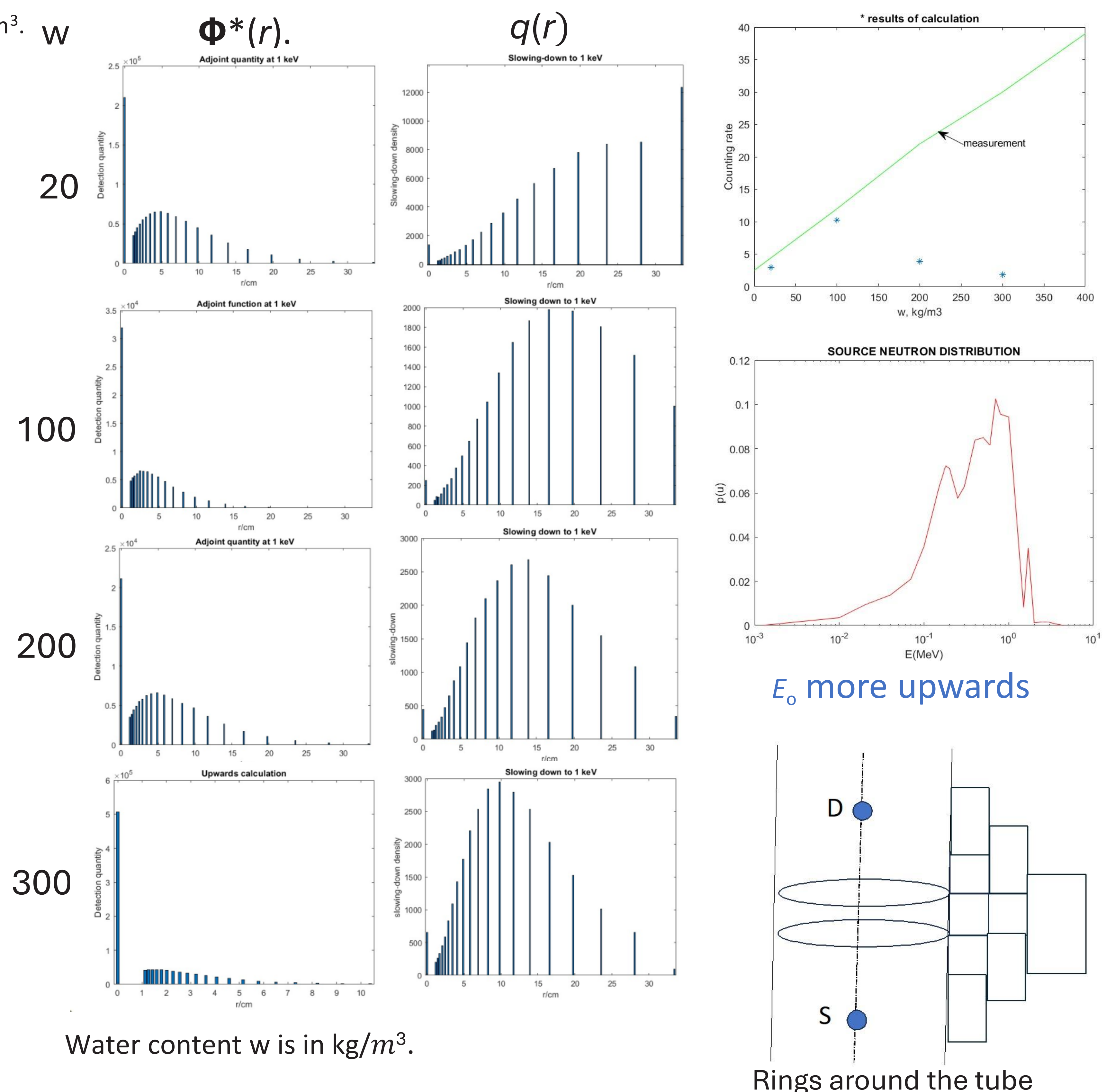
I supposed, that point source S and point detector D are in infinite soil. Around the points there are shells. But the shells from S and from D do not coincide. Therefore I set the distance $SD = 0$. I try to find the good shell radii. Now $r = 0, 1.19, 1.42, 1.69, 2.02 = a, 2.40$, etc. Epithermal detection I suppose.

Neutron comes to the detector. There is an event. The neutron has had a path. You can follow the path. This is MC calculation upwards in energy. You calculate the paths of the pseudo-neutrons. Suppose ^6Li detection.

You have 2 MC calculations: one downwards from the source energies and one upwards from detection energies. I selected $E_0 = 1$ keV is the energy where the paths meet: you determine the slowing-down density $q(r, \boldsymbol{\Omega})$ and adjoint function $\Phi^*(r, \boldsymbol{\Omega})$. These are summed up over the shells to get the counting rate c or CR. I selected the detection probability $D \sim \frac{1}{\sqrt{E}}$. $X = E/E_1$ where $E_1 = 0.6$ eV, kadmium-edge. To find x, and E, when $r \in [0..1]$ is random number, it is to solve the equation

$$r = \int_1^x \frac{1}{\sqrt{x}} dx$$

In hydrogen scatterings;
downwards $E_2 = rE_1$
upwards $E_2 = E_1/r$



Water content w is in kg/m³.

Rings around the tube